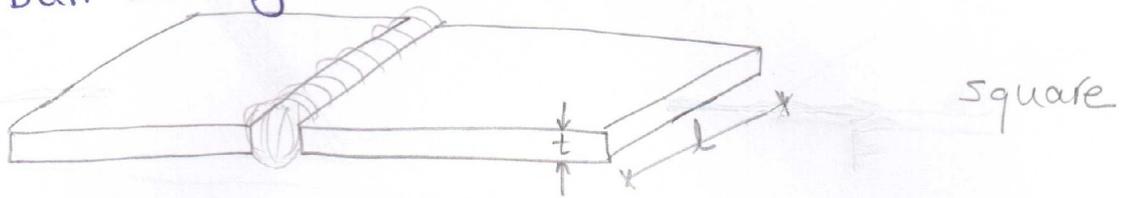
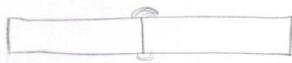


welding

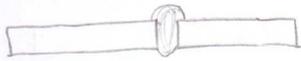
① Butt welding



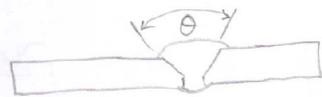
l = width of welding
 t = height of welding



square



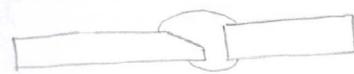
open square



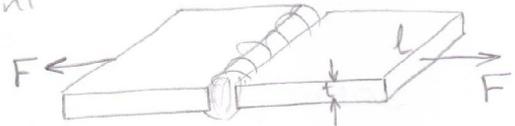
V-joint



double V



Bevel joint



* strength in butt welding

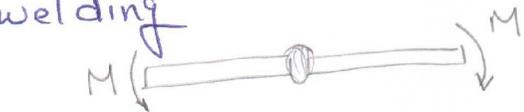
tension

$$\sigma_t = \frac{F}{lt} \leq \frac{S_u}{F.S.}$$

as $A_w = lt$ Area of welding

bending

$$\sigma_b = \frac{My}{I}$$

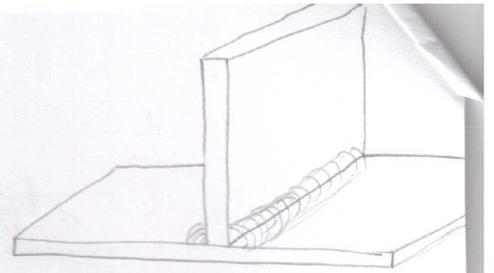
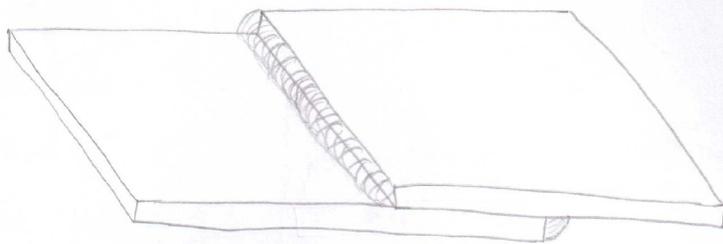


as $y = \frac{t}{2}$
 $I = \frac{Lt^3}{12}$

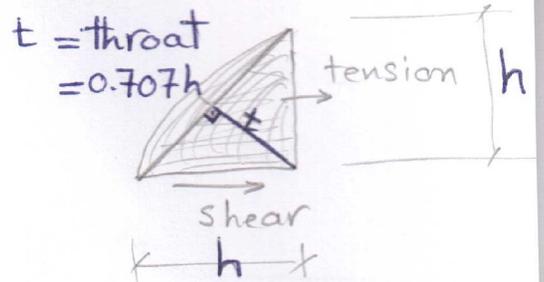
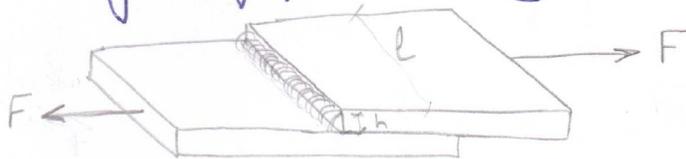
* for combined bending & tension

$$\sigma_t + \sigma_b \leq \frac{S_u}{F.S.}$$

② fillet welding



* strength of fillet welding

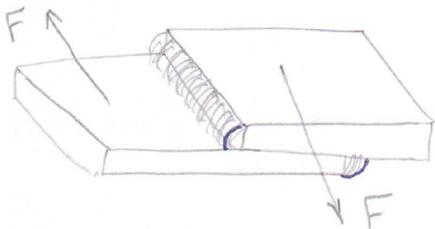


force could make tension or shear to welding material.

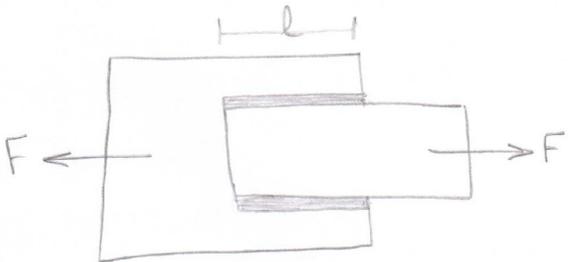
shear $\tau = \frac{F}{A_w} = \frac{F}{l \times 0.707h}$

$\tau = \frac{F}{(l \times 0.707h) \times 2}$ ← no. of areas.

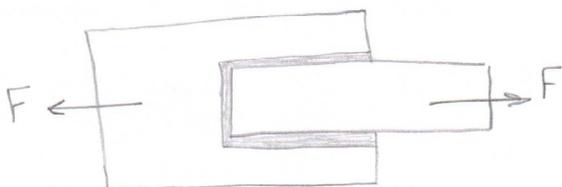
* Cases



$$\tau = \frac{F}{0.707hl \times 2}$$



$$\tau = \frac{F}{0.707hl \times 2}$$



$$\tau = \frac{F}{0.707h \times l_{\text{weld}}}$$

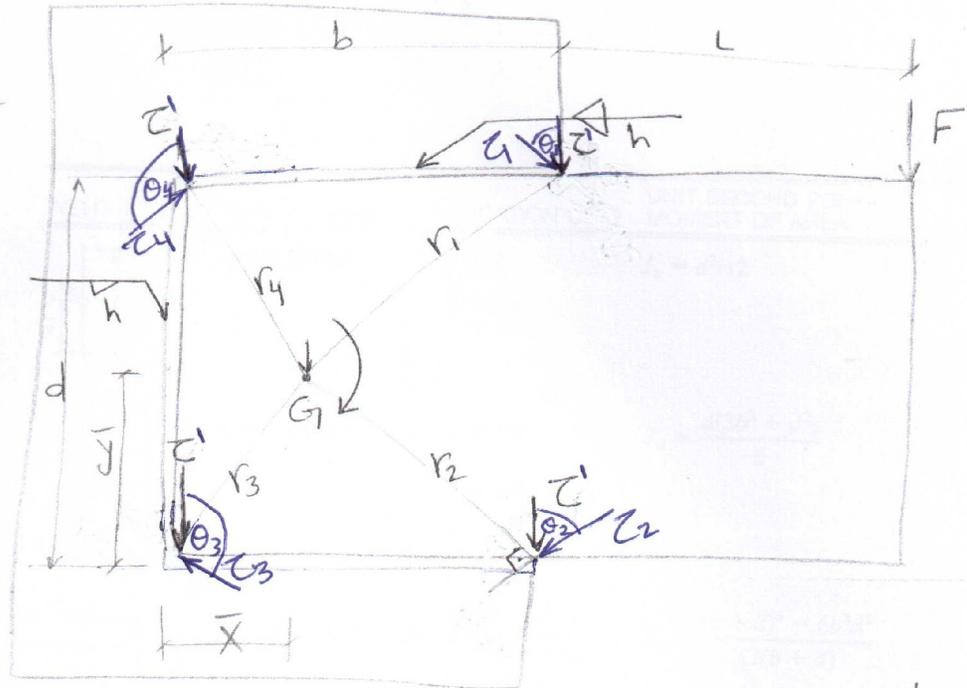
← مجموع الطول الثلاث

*) If the load is eccentric

steps

- ① locate the center of the welding

من المركز
 \bar{X}, \bar{Y}



- ② Transfer the force to the welding center with a force and turning moment $T = F * (L + b - \bar{X})$

- ③ Calculate the stresses as follows:

i) primary shear $\tau' = \frac{F}{A} = \frac{F}{(2b + d) * 0.707h}$

ii) secondary shear $\tau_s = \frac{T r}{J}$

as $J = J_u * 0.707h$ J_u من المراكز

- ④ For the point at which the max. shear is expected

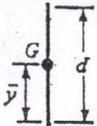
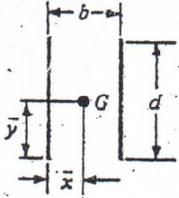
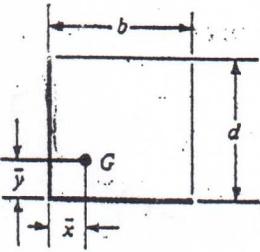
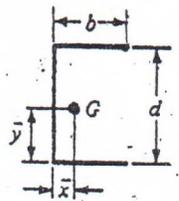
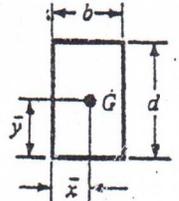
* max. r

* min. θ

⑤ $\tau_{max} = \sqrt{\tau'^2 + \tau_s^2 + 2\tau'\tau_s \cos\theta} \leq \tau_{all}$

$\tau_{max} \leq \frac{0.5 S_y}{f.s.}$

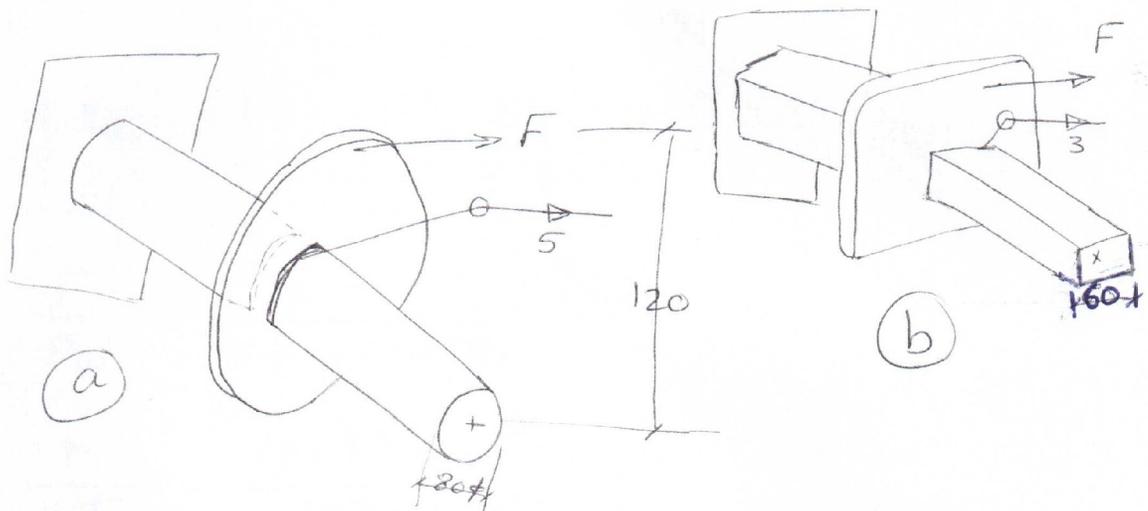
TABLE 9-2
Torsional Properties of Fillet
Welds*

| WELD | THROAT AREA | LOCATION OF G | UNIT SECOND POLAR MOMENT OF AREA |
|---|----------------------|--|--|
|  | $A = 0.707hd$ | $\bar{x} = 0$ $\bar{y} = d/2$ | $J_u = d^3/12$ |
|  | $A = 1.414hd$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $J_u = \frac{d(3b^2 + d^2)}{6}$ |
|  | $A = 0.707h(b + d)$ | $\bar{x} = \frac{b^2}{2(b + d)}$ $\bar{y} = \frac{d^2}{2(b + d)}$ | $J_u = \frac{(b + d)^4 - 6b^2d^2}{12(b + d)}$ |
|  | $A = 0.707h(2b + d)$ | $\bar{x} = \frac{b^2}{2b + d}$ $\bar{y} = d/2$ | $J_u = \frac{8b^3 + 6bd^2 + d^3}{12} - \frac{b^4}{2b + d}$ |
|  | $A = 1.414h(b + d)$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $J_u = \frac{(b + d)^3}{6}$ |
|  | $A = 1.414\pi hr$ | | $J_u = 2\pi r^3$ |

*G is centroid of weld group; h is weld size; plane of torque couple is in the plane of the paper; all welds are of unit width.

ex.

Find the max. safe value of F if $\tau_{all} = 140 \text{ MPa}$.



(a) $T = F \times 120$

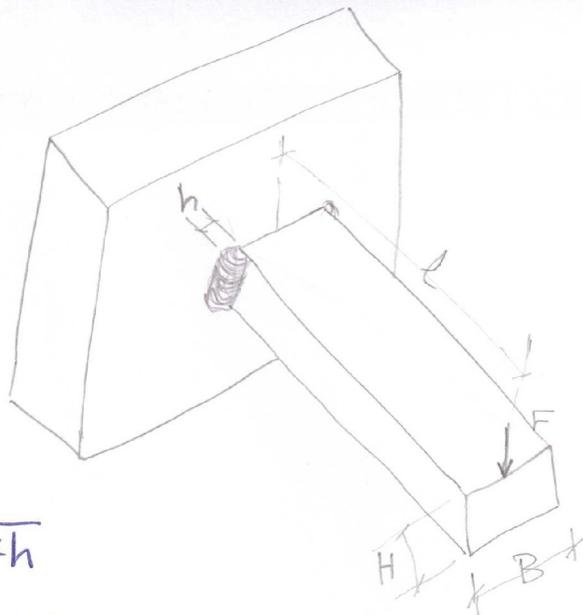
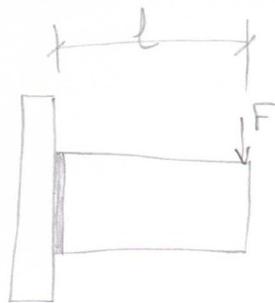
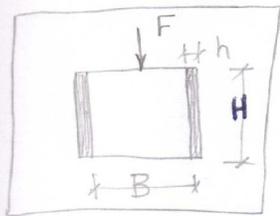
$\tau' = 0$ (No possibility of linear motion in the direction of force F)

$$\tau_{max} = \tau_s = \frac{Tr}{J} \leq \tau_{all}$$
$$= \frac{(F \times 120) + \frac{80}{2}}{2J_u + 0.707 \times 5} \leq 140$$

$$F \leq \dots N$$

(b) F is not a function of welding size because of the shape (there is no possibility of linear motion or rotation)

* Bending



$$C = \frac{F}{A_w} = \frac{F}{2H * 0.707h}$$

$$\sigma_b = \frac{M y_{max}}{I} = \frac{(F * l) * H/2}{\left(\frac{0.707h H^3}{12}\right) * 2} \leftarrow \text{no. of welds}$$

$$\sigma_{max} = \frac{\sigma_b}{2} + \sqrt{\left(\frac{\sigma_b}{2}\right)^2 + C^2} \leq \frac{S_u}{F.S.} = \sigma_{all}$$

$$Z_{max} = \sqrt{\left(\frac{\sigma_b}{2}\right)^2 + C^2} \leq \frac{S_{ush.}}{F.S.} = \bar{C}_{all}$$

$$\sigma_{all} = \frac{V}{h_1}$$

$$\bar{C}_{all} = \frac{V}{h_2}$$

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وتقرب لأكبر رقم صحيح

from table match the welding type

$$C = \frac{F}{A}$$

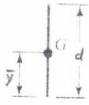
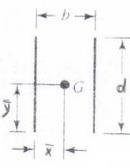
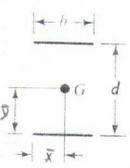
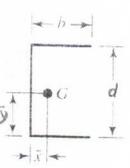
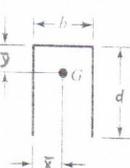
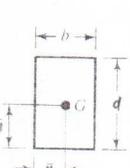
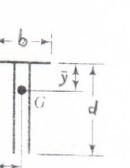
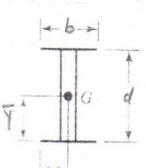
$$\sigma_b = \frac{M y_{max}}{0.707h I_u}$$

calculate \bar{y} &
 $d - \bar{y}$

if $\bar{y} > d - \bar{y} \Rightarrow y_{max} = \bar{y}$
if not $\Rightarrow y_{max} = d - \bar{y}$

تم عملها

Bending Properties of Fillet Welds*

| Weld | Throat Area | Location of G | Unit Second Moment of Area |
|---|----------------------|---|--|
|  | $A = 0,707hd$ | $\bar{x} = 0$ $\bar{y} = d/2$ | $I_u = \frac{d^3}{12}$ |
|  | $A = 1,414hd$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $I_u = \frac{d^3}{6}$ |
|  | $A = 1,414hd$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $I_u = \frac{bd^2}{2}$ |
|  | $A = 0,707h(2b + d)$ | $\bar{x} = \frac{b^2}{2b + d}$ $\bar{y} = d/2$ | $I_u = \frac{d^2}{12}(6b + d)$ |
|  | $A = 0,707h(b + 2d)$ | $\bar{x} = b/2$ $\bar{y} = \frac{d^2}{b + 2d}$ | $I_u = \frac{2d^3}{3} - 2d^2\bar{y} + (b + 2d)\bar{y}^2$ |
|  | $A = 1,414h(b + d)$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $I_u = \frac{d^2}{6}(3b + d)$ |
|  | $A = 0,707h(b + 2d)$ | $\bar{x} = b/2$ $\bar{y} = \frac{d^2}{b + 2d}$ | $I_u = \frac{2d^3}{3} - 2d^2\bar{y} + (b + 2d)\bar{y}^2$ |
|  | $A = 1,414h(b + d)$ | $\bar{x} = b/2$ $\bar{y} = d/2$ | $I_u = \frac{d^2}{6}(3b + d)$ |
|  | $A = 1,414\pi r$ | | $I_u = \pi r^3$ |