	Alexandria Higher Institute of Engineering & Technology (AIET)			
	Industrial Department			2 <sup>nd</sup> Year
	ME251	Fluid Mechanics	Final, End	-of-Semester-3 Exam, Aug., 17, 2013
	Examiners:	Dr. Rola Afify and committee		Time: 3 hours

# Answer the following questions: Question one (12 marks)

- a) Discuss the relation between:
  - Viscosity and Temperature for a certain fluid.



- Absolute, Atmospheric and gauge pressure.



- b) The pressure of  $1 \text{ m}^3$  of a fluid is increased 10 to 20 bar at a constant temperature, calculate the final volume of the fluid in the following cases:
  - a. The fluid is an ideal gas.
  - b. The fluid is water ( $k = 2 \times 10^9 \text{ N/m}^2$ ).

Use the results to explain the main difference between liquids and gases.

#### **Question two (12 marks)**

a) A diver is working at a depth of 18 m under sea water surface; calculate the pressure at this depth in gauge and absolute values if the specific gravity of sea water is 1.02.

\* Pgauge = Wh = 8 wwh = 1.02 \*9800 \* 18 = 179928Pa Pgauge = 1.8 har\*  $Pabs = Pgauge + Patm = 1.8 * 10^{5} + 1.013 * 10^{5} = 281228 Pa$  $\cong 2.8 har ahs.$ 

- b) A rectangular tank (3 m long, 2 m wide, and 2.5 m high) contains oil of specific gravity  $\gamma = 0.9$ . Calculate the magnitude, direction, and line of action of the pressure force on the following:
  - a. The sides of the tank.
  - b. The tank's bottom.

Req = Fside s = ?!  

$$F_{bottom} = ?!$$
  
 $W_{oll} = 0.9 \pm 9800$   
 $W_{oll} = 0.9 \pm 9800$   
 $W_{oll} = 8820 \text{ N/M3}$   
 $\pm 70 \text{ get } Fsides$   
 $F_{5,481} = 2.5n$   
 $F_{5,481} = 8820 \pm 2.5 \pm 2.5 \pm 2.5 \times 2$ 

## **Question three (12 marks)**

a) Compare between Piezometer tube and U-tube with one leg enlarged.



b) Two water tanks A and B are connected with a cast iron pipe ( $\epsilon = 0.25$  mm) 15 cm diameter and 800 m long has a coefficient of friction (f = 0.025). Along the pipe, there are a fully opened gate valve (k = 1.2), three 45° bends (k for each= 0.8) and four 45° bends (k for each= 0.6).

For sudden contraction k = 0.5 and enlargement k = 1.0.

- i. Find the difference in levels between water surfaces in two tanks, so that a discharge of 60 lit/s flows from tank A to tank B.
- ii. If the valve is partially closed to reduce the discharge to 60% of its initial value, keeping the same difference in levels, what will be the head lost in the value.

$$\begin{aligned} & \int \\ & \int \frac{1}{1 \times (d=15 \text{ cm}_3 f = 800 \text{ m}_3 + 38)} \\ & \int \frac{1}{1 \times (d=15 \text{ cm}_3 f = 800 \text{ m}_3 + 32)} \\ & \int \frac{1}{1 \times (d=15 \text{ cm}_3 f = 800 \text{ m}_3 + 32)} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \frac{1}{1 \times (d=15)^2} \\ & \int \frac{1}{1 \times (d=15)^2} \frac{1}{1$$

$$h_{Losses} A \rightarrow B = \frac{V^2}{2g} \left[ 0.5 + \frac{0.025 \times 800}{0.15} + 1.2 + 3 \times 0.8 + 4 \times 0.6 + 1 \right]$$

$$h_{Losses} A \rightarrow B = \frac{(3.4)^2}{2 \times 3.8} \times 140.3$$

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$$h_{Loss} A \rightarrow 140.3$$

$$h_{L$$

## **Question Four (12 marks)**

a) Compare between vane pump and axial flow pump.



b) Explain how to avoid cavitation for positive displacement pump.

hss-his - 22 > hvop-hatm و فع لا جسم من أهل منعون ممكن بالنع به لم توى المحر " يودى دند لزيارة درما"
 تقليل ال دمورة من ماسونه ال ممالى ما كالا أول ما يكم منه له يق به - وفع الر جسم من اهل مكنه لا الم ممالى ما منها من عمل من المرت المعرم ويارته قط مامون السحب لتقلل السريه وبالتالى الدج كاك - تجنب استخذام أي مصر من محادرا ( Louser ) ال والضروة القصوك

c) A three cylinders piston pump, having ram 30 cm diameter by 60 cm stroke, is required to lift 80 liter of water per second against a static head of 85 m. The friction loss in the suction pipe is 1.2 m and in delivery pipe is 12 m. The water velocity is 1 m/s. The mechanical efficiency of the pump  $(\eta_m)$  is 90% and the volumetric efficiency  $(\eta_{vol})$  is 98%. Calculate the speed at which the pump should run and the power required to drive it.

C) puton pump S three cylinders 
$$\int 5 = 50 \text{ cm} \cdot 50^{\circ} \text{ cm}$$
  
 $D = 30 \text{ cm} = 0.3 \text{ m}$  S hst=  $85\text{ m} (Q = 80 \text{ klo}^{3})$   
 $h_{LS} = 1.2 \text{ m}$  S  $h_{Ld} = 12 \text{ m}$  S  $v = 1 \text{ m/sec}$   
 $l_{mech} = 0.9$  S  $l_{uol} = 0.98$  S  $N = 2.5$  Power=2.  
 $Gact = l_{uol} + \frac{\pi}{4} D^{2} \times 5 \times \frac{N}{6c} \times 10.06$  G linders  
 $80 \times 10^{3} = 0.98 \times \frac{\pi}{4} (0.3)^{2} \times 0.6 \times \frac{N}{60} \times 3$   
 $N = 38.5 \text{ r.p.m.}$   
 $h_{pump} = h_{ST} + h_{uosses} + \frac{N^{2}}{764}$   
 $= 85 + (12 + 1.2) + \frac{N^{2}}{2 \times 9.8}$   
 $= 98.25 \text{ m}$   
Power =  $\frac{Whp}{2mech} = \frac{9.800 \times 98.25 \times 80 \times 10^{-3}}{0.9}$   
 $= 35.2 \text{ wett}^{-1}$ 

**Question Five (12 marks)** For the hydraulic circuit shown in figure:-



a) Write the name of each component.

1) Vented tank 2) Filter 3) Single Fixed displacement pump. 19) 4) relief value 5) directional Ontrol Value, three positions,-Four ports, Solonoid Gatral, Spring Contered Double acting-differential cylinder.

b) What will happen to (6) when:-i- the left solenoid in (5) is activated (draw the circuit).ii- the right solenoid in (5) is activated (use different pen in the previous drawing).

